

Computer-Vision-Enabled Video Analysis for Motion Amount Quantification

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Problem

Monitoring and quantifying factory workers' motion amount is crucial for improving their performance, health, and ergonomic load, but it remains a challenging task due to difficulties in motion tracking, and motion amount quantification.

Objectives

- Investigate motion amount quantification and trajectory in in-situ videos, focusing on local and collective motion of body joints.
- Propose a computer-vision-based framework to address this challenge by tracking workers' upper limbs, quantifying their motion amount, and alerting when the motion amount reaches a warning level.
- we propose the utilization of a control chart for the systematic monitoring of worker fatigue statistics.

Future works

- Future work will explore real-time video data, video fusion from different angles, and more complicated tasks.
- Overall, the findings demonstrate the potential of the CV-based technique to provide accurate and reliable representations of motion and trajectories.

- MediaPipe is used to extract body-joint landmarks.
- Out of 33 extracted landmarks, only relevant ones are used for mathematical analysis.

$$\mathbf{X} = \begin{bmatrix} (x_{13}, y_{13}, z_{13}) & (x_{14}, y_{14}, z_{14}) & \dots & (x_{22}, y_{22}, z_{22}) \\ (x_{13}, y_{13}, z_{13}) & (x_{14}, y_{14}, z_{14}) & \dots & (x_{22}, y_{22}, z_{22}) \\ \dots & \dots & \dots & \dots \\ (x_{13}, y_{13}, z_{13}) & (x_{14}, y_{14}, z_{14}) & \dots & (x_{22}, y_{22}, z_{22}) \end{bmatrix}_{n \times p}$$

It is assumed that the landmarks' data stream follows multivariate normal distribution.

$$\text{Mean: } \bar{\mathbf{m}} = \frac{1}{n} \sum_{i=1}^n x_i$$

$$\text{Covariance Matrix: } \mathbf{S} = \frac{1}{n-1} \sum_{i=1}^n (x_i - \bar{\mathbf{m}})(x_i - \bar{\mathbf{m}})^T$$

$$\text{Control Value: } t_i = n(x_i - \bar{x})\mathbf{S}^{-1}(x_i - \bar{x})^T$$

$$\text{Upper Control Limit: } UCL = \frac{p(n-1)}{(n-p)} f(x)$$

$$\text{Lower Control Limit: } LCL = 0$$

Control value can be referred as a target value that a process or system is designed to maintain or achieve.

Control limits are the bounds of a control chart that are used to determine if a process is in a state of control or out of control.

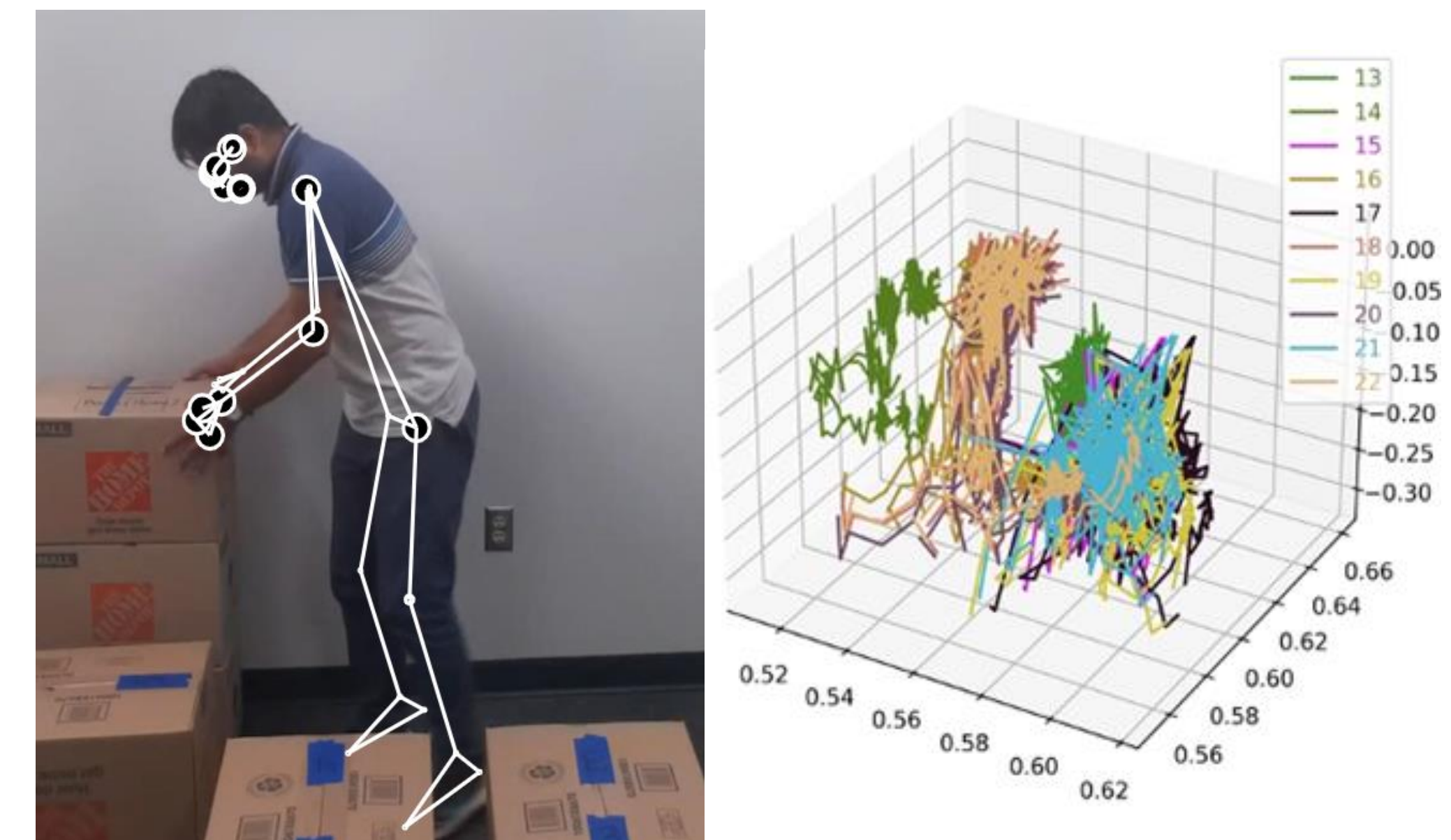


Fig 1. (1) Body landmark detection (2) Visualization of movement of landmarks throughout the process

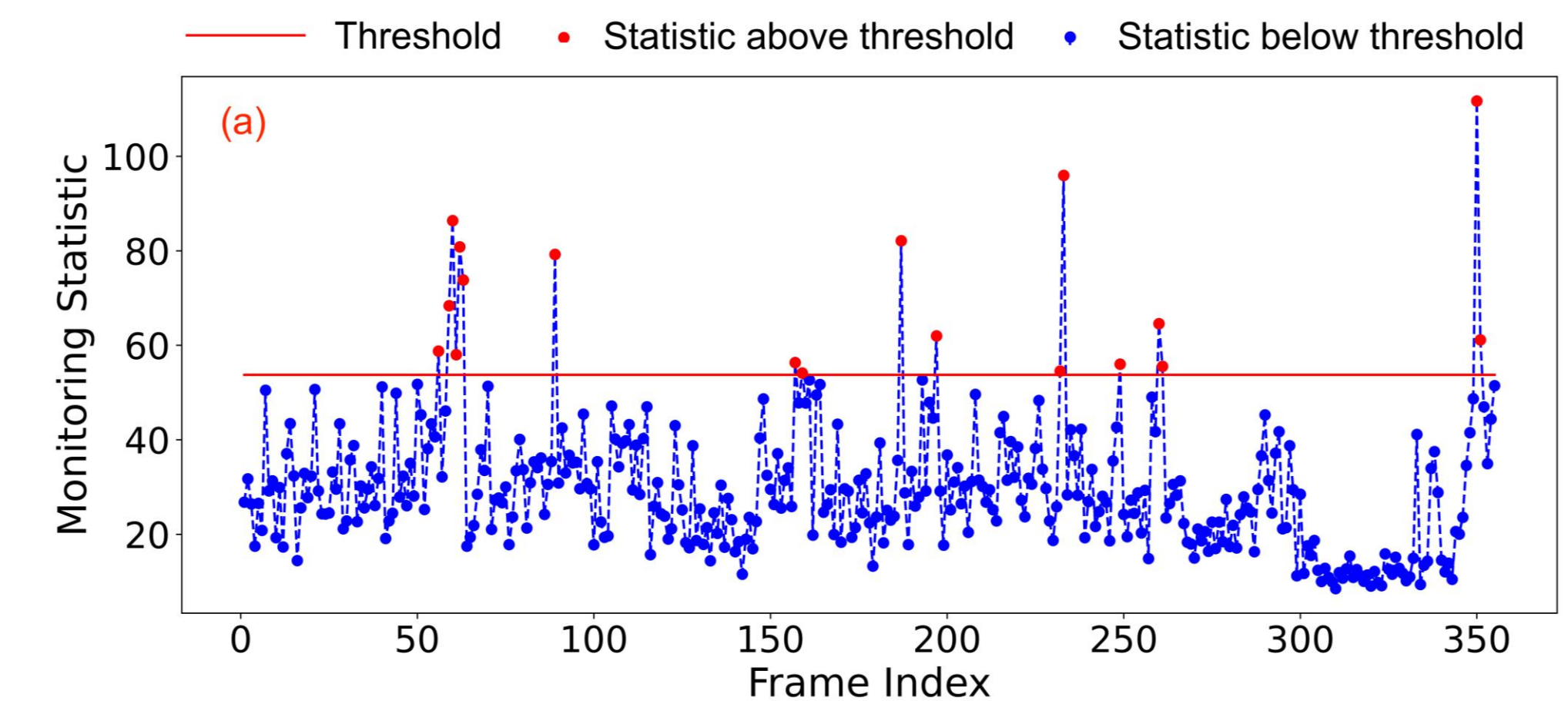


Fig 2. T2 Control Chart of the process

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